

Shear Failure Analysis of RC Bridge Piers During Strong Ground Motions : A Deformation Approach

Shiro Takada, Fellow, Dept. of Civil Engineering, Kobe University, Dr. Eng.
Hidenori Morikawa, Associate Professor, Dept. of Civil Engineering, Kobe University, Dr. Eng.
Freddy Duran C., Grad. Student, Graduate School of Science and Technology, Kobe University

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OBJECTIVE

This study aims to analyze the performance of a typical RC bridge pier that sustained severe shear failure during the Jan. 17, 1995 Hyogo-Ken Nambu Earthquake earthquake. For this purpose, an approach based on the estimation of deformations considering the material nonlinearities is presented. The results obtained herein highlight two facts for analyzing the shear cracking. One is referring to *the determination of the extend of the yielding regions*, and the other is regarding to *the deformation capacity of the section from the onset of yielding of reinforcement until the collapse*.

1. ANALYTICAL BASIS

To analyze the shear failure of RC bridge piers, it is necessary to define clearly the main factors that contribute to the shear transfer. Such factors are: the tension stiffening of the concrete, the effect of aggregate interlock and dowel action at cracks, the bond effect at the steel-concrete interface and the yielding of both the longitudinal and transverse reinforcement (ties). The knowledge of extreme forms of collapse, that is, final stage of cracking or yielding may not help much if it is intended to analyze (describe) the progressive failure of concrete. In what follows, a brief explanation concerning to the main factors that contribute to the shear transfer mechanism are briefly reviewed.

1.1 Tensile Stresses and Cracking

The tensile envelope curve used herein is depicted in Fig. 1. The softening part of this envelope is composed by two lines: a initial "steep decay of stresses" in order to represent the brittle cracking and a "soft stress decay" for representing the transfer coming from reinforcement crossing the crack. As depicted in Fig. 1. Failure of concrete to compression under cyclic loading is calculated bearing in mind the ultimate strength envelope. Crushing of concrete is assumed to occur when the concrete loss completely its load-carrying capacity. The area under the softening curve represents the fracture energy G_f absorbed until complete fracture occurs. The stress decay produced in a crack is usually assumed to occur due to the shear transfer between crack faces or due to the development of a crack band with decreasing stiffness and strength. In view of that, the crack extension is evaluated in two ways, one is, by considering the maximum energy release rate, while the other is by considering maximum principal stresses. The characteristic crack opening, "w", and the characteristic crack length "l" (Hilleborg et al, 1976) are defined by Eq. 1. These expressions could be useful for evaluation purposes when controlling the crack dimensions.

$$w = G_f / \dot{\epsilon}_t, \quad l = E G_f / \dot{\epsilon}_t \quad (1)$$

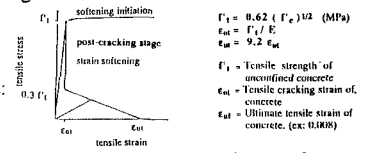


Fig. 1 Tensile stress-strain curve for the concrete material

1.2 Aggregate Interlock and Dowel Action

In the Finite element analysis considered herein the shear strain in the cracking stage is expressed as:

$$\Delta \gamma^{\text{cr}} = (\sigma_{nt} / G) (l / \beta) \quad (2) \quad \text{where} \quad n = \text{direction normal to the crack (mode I)} \\ t = \text{tangential direction to the crack (mode II)} \\ \sigma = \text{stress} ; \quad \gamma = \text{shear strain}$$

The term "β" is called the shear retention factor, it takes into account the continuously decreasing of shear stiffness during the cracking phenomena. The factor "β" derived experimentally by Bazant Z. and also by Pruijssers(1988) is taken into account herein because its dependence from both the crack-opening (normal direction) strain as well from the maximum aggregate size (d_{max}) in mm.

$$\beta^{-1} = (1 / 4762) \epsilon_{nn} - (1 / 1346) \epsilon_{nn} \quad \text{for } \delta_t / \delta_n < 1/3 \quad (3)$$

$$\beta^{-1} = 1 + p \epsilon_{nn} ; \quad p = 2500 / \{ d_{\text{max}}^{0.14} [0.76 - 0.16 \epsilon_{nn} / \gamma_{nt} (1 - \exp(-6 \gamma_{nt}))] \} \quad \text{for } \delta_t / \delta_n < 2/3 \quad (4)$$

The dowel action mechanism of shear transfer is difficult to represent with accuracy (i.e. axial stiffness) because of the interaction of bending effects with the tensile stresses developed at the crack. It leads to implement integration points at which cracking is evaluated. The localization criteria that makes meaningful the use of the strain-softening is described herein by Eq. 5, it is called the "yielding criteria".

$$f = \sigma_n^2 + \tau_n^2 / \alpha^2 - \dot{\epsilon}_t^2 = 0 \quad (5)$$

By introducing all of the above-mentioned considerations in the stiffness matrix of an element, it results in the governing equation for the cracked stage.

2. CASE STUDY

A RC bridge pier with the dimensions shown in Fig. 2 is analyzed, compressive strength of the 3 cm maximum aggregate concrete is 270 kg/cm². The layout of reinforcement is also shown in Fig. 2. Deformed bars of 32 mm and 16 mm diameter of $f_y=3000 \text{ kg/cm}^2$ were used for the longitudinal reinforcement and ties respectively. The RC bridge pier was subjected for 10 sec to a sinusoidal base motion with 400 gals of peak-acceleration. The Finite Element model is depicted in Fig. 3. Both, the longitudinal and transversal reinforcement are represented by the vertical and horizontal lines of the finite element model depicted in Fig. 3.

